

複素関数論正誤表

頁	誤	正
p. 62 12 行目	$\iint_{\bar{D}} \left(\frac{\partial P}{\partial x} + \frac{\partial Q}{\partial y} \right) dx dy$ $= \int_{\bar{r}} P dy - Q dx$	$\iint_{\bar{D}} \left(\frac{\partial Q}{\partial x} - \frac{\partial P}{\partial y} \right) dx dy$ $= \int_{\bar{r}} P dx + Q dy$
〃 18 行目	$\int_{\bar{r}} P dy - Q dx$ $= \int_{\alpha}^{\beta} P(x(t), y(t)) y'(t) dt$ $- \int_{\alpha}^{\beta} Q(x(t), y(t)) x'(t) dt$	$\int_{\bar{r}} P dx + Q dy$ $= \int_{\alpha}^{\beta} P(x(t), y(t)) x'(t) dt$ $+ \int_{\alpha}^{\beta} Q(x(t), y(t)) y'(t) dt$
p.107 6 行目	$\lim_{z \rightarrow z_0} f(z) = \lim_{z \rightarrow z_0} \frac{g(z)}{ z - z_0 ^k} = +\infty$	$\lim_{z \rightarrow z_0} f(z) = \lim_{z \rightarrow z_0} \frac{ g(z) }{ z - z_0 ^k} = +\infty$
p.116 2 行目	$\int_{\Gamma_R} f(z) e^{iz} dz$ $= i \int_0^{\pi} f(Re^{i\theta}) Re^{iRe^{i\theta}} d\theta$ $= i \int_0^{\pi} f(Re^{i\theta}) Re^{iR(\cos\theta + i\sin\theta)} d\theta$	$\int_{\Gamma_R} f(z) e^{iz} dz$ $= i \int_0^{\pi} f(Re^{i\theta}) Re^{iRe^{i\theta}} e^{i\theta} d\theta$ $= i \int_0^{\pi} f(Re^{i\theta}) Re^{iR(\cos\theta + i\sin\theta)} e^{i\theta} d\theta$
〃 10 行目	$\left \int_{\Gamma_R} f(z) dz \right \leq \varepsilon \pi$	$\left \int_{\Gamma_R} f(z) e^{iz} dz \right \leq \varepsilon \pi$
〃 11 行目	$\overline{\lim}_{R \rightarrow \infty} \left \int_{\Gamma_R} f(z) dz \right \leq \varepsilon \pi$	$\overline{\lim}_{R \rightarrow \infty} \left \int_{\Gamma_R} f(z) e^{iz} dz \right \leq \varepsilon \pi$
〃 12 行目	$\lim_{R \rightarrow \infty} \int_{\Gamma_R} f(z) dz = 0$	$\lim_{R \rightarrow \infty} \int_{\Gamma_R} f(z) e^{iz} dz = 0$
p.122 4 行目	$\left\{ \int_R^{\varepsilon} + \int_{\Gamma_R} - \int_{\varepsilon}^R - \int_{\Gamma_{\varepsilon}} \right\} \frac{R(z)}{z^{\alpha}} dz =$	$\left\{ \int_{\varepsilon}^R + \int_{\Gamma_R} - \int_{\varepsilon}^R - \int_{\Gamma_{\varepsilon}} \right\} \frac{R(z)}{z^{\alpha}} dz =$
p.139 最終行	無限積 $\prod_{\nu=1}^{\infty} p_{\nu}$ は	無限積 $\prod_{\nu=1}^{\infty} c_{\nu}$ は
p.140 1 行目	$p = \prod_{\nu=1}^{\infty} p_{\nu}$	$p = \prod_{\nu=1}^{\infty} c_{\nu}$